# 01-Functions

Content Area: Math

Course(s):

Time Period: Full Year

Length: 2 weeks (8-10 blocks)

Status: **Published** 

# **General Overview, Course Description or Course Philosophy**

In this unit, students will be introduced to the key components of functions and how they relate to their graphs. Students will learn function notation and use it to analyze and describe various functions, both contextually and algebraically. Students will apply concepts like domain/range and function tables/graphs to describe contextual situations. Students will also be introduced to arithmetic sequences and use recursive and explicit formulas to describe these relationships.

# **OBJECTIVES, ESSENTIAL QUESTIONS, ENDURING UNDERSTANDINGS**

Students will understand that:

- Functions can be used to represent and analyze real-world situations
- Function notation can be used to represent the relationship algebraically
- The graph of a function represents all possible solutions
- Functions can be represented in multiple ways (equation, table, graph, or in words)

#### **Essential Ouestions:**

- How can you represent and describe functions?
- How can functions represent real-world situations?
- How are the equations, graphs, and tables of functions related?

### **CONTENT AREA STANDARDS**

MA.N-Q.A.1	Use units as a way to understand problems and to guide the solution of multi-step problems; choose and interpret units consistently in formulas; choose and interpret the scale and the origin in graphs and data displays.
MA.N-Q.A.2	Define appropriate quantities for the purpose of descriptive modeling.
MA.F-BF.A.2	Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to model situations, and translate between the two forms.
MA.F-BF.A.1a	Determine an explicit expression, a recursive process, or steps for calculation from a context.

MA.F-IF.A.1 Understand that a function from one set (called the domain) to another set (called the

range) assigns to each element of the domain exactly one element of the range. If f is a

	function and $x$ is an element of its domain, then $f(x)$ denotes the output of $f$ corresponding to the input $x$ . The graph of $f$ is the graph of the equation $y = f(x)$ .
MA.F-IF.A.2	Use function notation, evaluate functions for inputs in their domains, and interpret statements that use function notation in terms of a context.
MA.F-IF.A.3	Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of the integers.
MA.F-IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship.
MA.F-IF.B.5	Relate the domain of a function to its graph and, where applicable, to the quantitative relationship it describes.
MA.F-LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (include reading these from a table).
MA.K-12.2	Reason abstractly and quantitatively.
MA.K-12.4	Model with mathematics.
MA.K-12.5	Use appropriate tools strategically.
MA.K-12.8	Look for and express regularity in repeated reasoning.
MA.A-CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
MA.A-REI.D.10	Understand that the graph of an equation in two variables is the set of all its solutions plotted in the coordinate plane, often forming a curve (which could be a line).
MA.A-SSE.A.1a	Interpret parts of an expression, such as terms, factors, and coefficients.
MA.A-SSE.A.1b	Interpret complicated expressions by viewing one or more of their parts as a single entity.

# RELATED STANDARDS (Technology, 21st Century Life & Careers, ELA Companion Standards are Required)

CS.K-12.3.a	Identify complex, interdisciplinary, real-world problems that can be solved computationally.
CS.K-12.3.b	Decompose complex real-world problems into manageable sub-problems that could integrate existing solutions or procedures.
CS.K-12.3.c	Evaluate whether it is appropriate and feasible to solve a problem computationally.
LA.K-12.NJSLSA.R7	Integrate and evaluate content presented in diverse media and formats, including visually and quantitatively, as well as in words.
TECH.9.4.12.IML.3	Analyze data using tools and models to make valid and reliable claims, or to determine optimal design solutions (e.g., S-ID.B.6a., 8.1.12.DA.5, 7.1.IH.IPRET.8).
TECH.9.4.12.IML.4	Assess and critique the appropriateness and impact of existing data visualizations for an intended audience (e.g., S-ID.B.6b, HS-LS2-4).
TECH.K-12.P.5	Utilize critical thinking to make sense of problems and persevere in solving them.
TECH.K-12.P.8	Use technology to enhance productivity increase collaboration and communicate effectively.

# **STUDENT LEARNING TARGETS**

# **Declarative Knowledge**

Students will understand that:

- Functions are defined as relations that pair each domain value with exactly one range value
- Functions can be represented by tables, graphs, equations, and real-world situations
- Function notation can be used to represent function rules
- The set of all solutions of a function form its graph
- The vertical line test can be used to identify a function on a graph
- Arithmetic sequences have a constant difference
- Recursive formulas depend on the previous term to get the next term
- Explicit formulas relate the term to the term number

# **Procedural Knowledge**

Students will be able to:

- Create function tables by evaluating functions in their domains
- Define a function using tables, equations, and graphs
- Analyze real-world situations and write equations to represent them
- Apply the vertical line test and a mapping diagram to determine whether or not a relation is a function
- Identify and extend patterns in sequences
- Create equations in function notation to represent arithmetic sequences
- Identify recursive and explicit formulas for arithmetic sequences and use these formulas to extend the sequence

### **EVIDENCE OF LEARNING**

#### **Formative Assessments**

- Class Discussion/Exit Cards (example questions below):
  - How can you represent and describe functions?
  - o How can functions represent real-world situations?
  - o How can you identify an arithmetic sequence?
  - What is the difference between an explicit formula and a recursive formula?
- Homework/practice problems (assigned from textbook or various web resources, such as Khan

Academy, Albert, Quizizz, or Desmos)

#### **Summative Assessments**

- Lesson quizzes
- Teacher-generated unit test
- Performance tasks

# **RESOURCES (Instructional, Supplemental, Intervention Materials)**

- Pearson Algebra 1: Common Core, Chapter 4, Sections 4-4 through 4-7
- Illustrative Math Tasks
- Arlington Algebra Project (Functions)
- Desmos Guess My Rule

#### **INTERDISCIPLINARY CONNECTIONS**

Functions of varying complexity are essential in modeling many real-world situations. Students will utilize their knowledge of functions in science, especially chemistry and physics, and computer science courses. Functions are used to study economics, biology, physics, communications, politics, art, music, and countless more disciplines.

#### **ACCOMMODATIONS & MODIFICATIONS FOR SUBGROUPS**

See link to Accommodations & Modifications document in course folder.